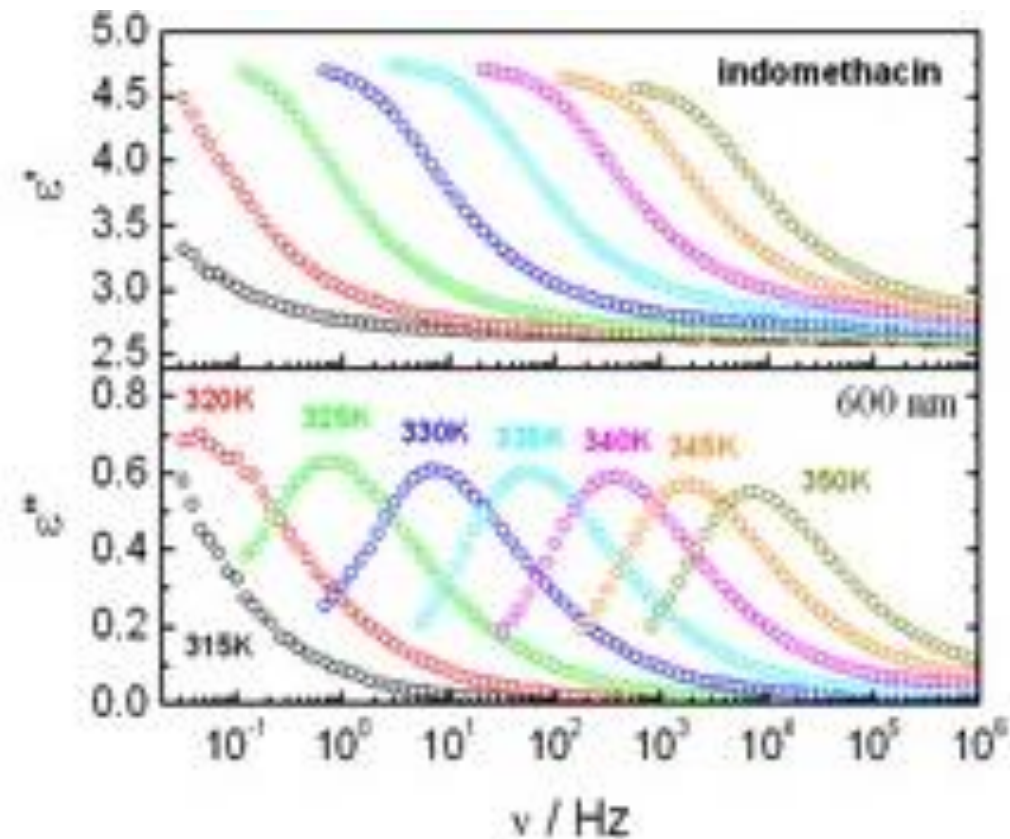


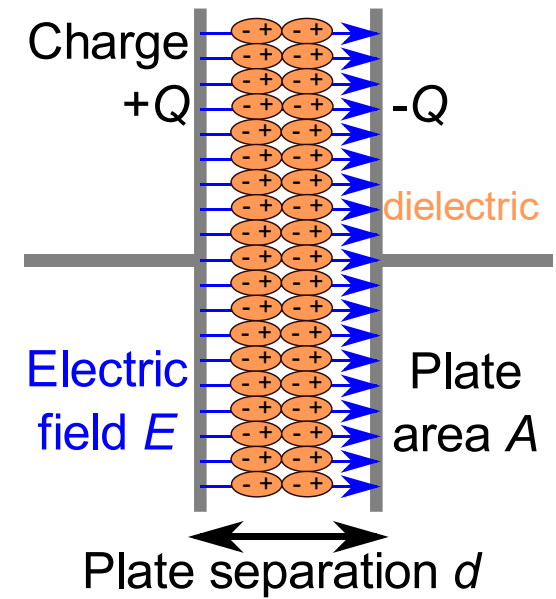
Dielectric Relaxation

Yu Yun

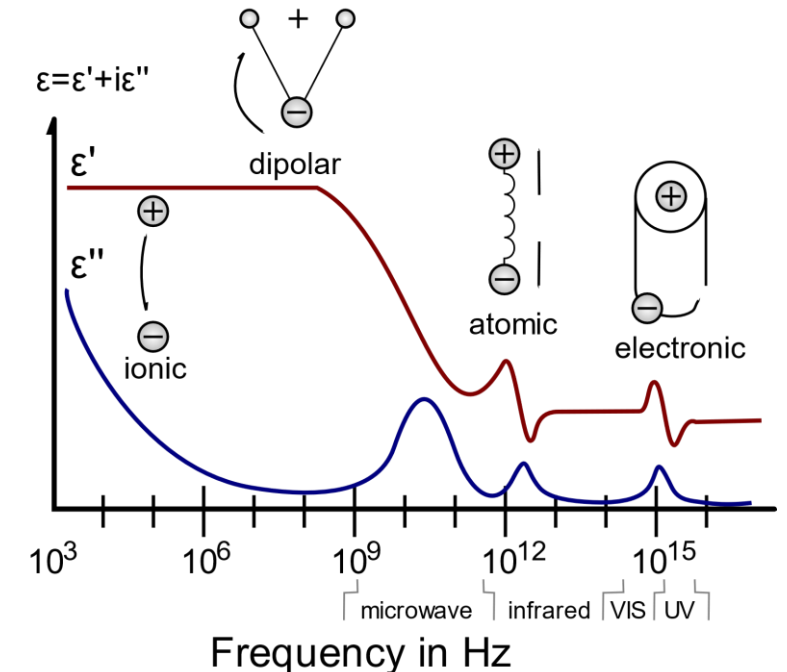
07/03/2020



❑ **Dielectric material** is an electrical insulator that can be polarized by an applied electric field. When a dielectric material is placed in an electric field, **electric charges do not flow through the material** as they do in an electrical conductor but **only slightly shift from their average equilibrium positions causing dielectric polarization**.



- ❖ **Dielectric relaxation** is the momentary delay (or lag) in the dielectric constant of a material. This is usually caused by the delay in molecular polarization with respect to a changing electric field in a dielectric medium.
- ❖ Dielectric relaxation in changing electric fields could be considered analogous to hysteresis in changing magnetic fields



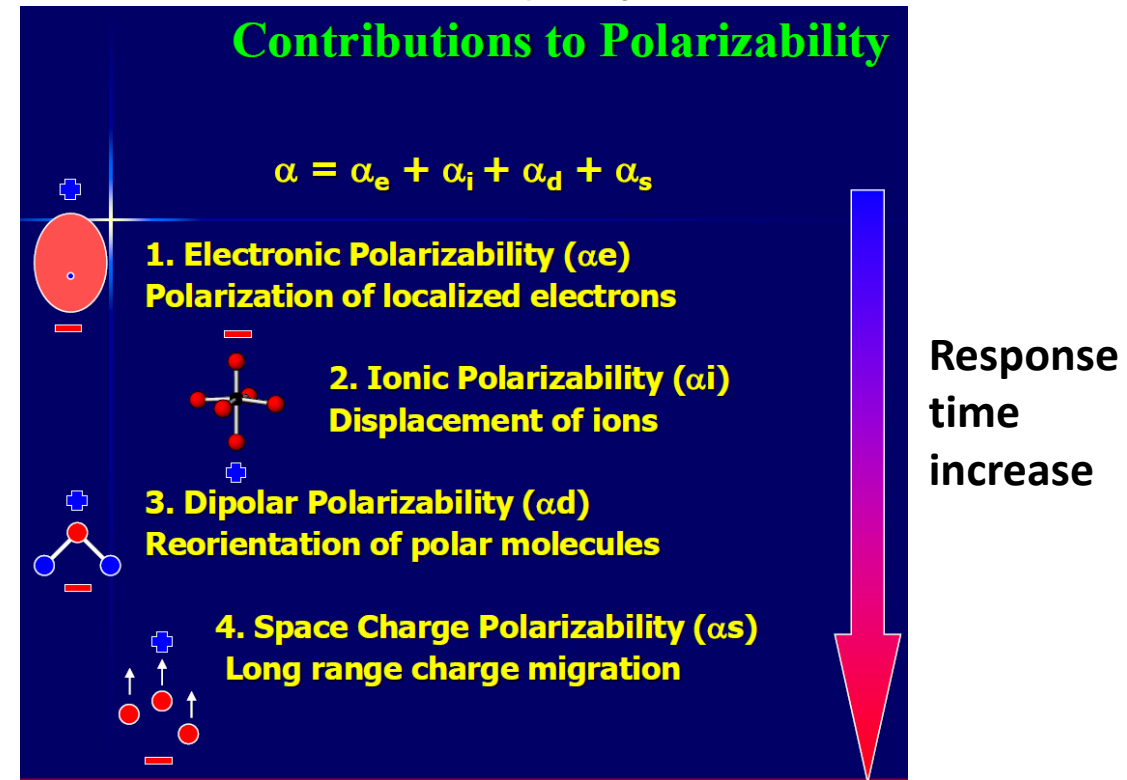
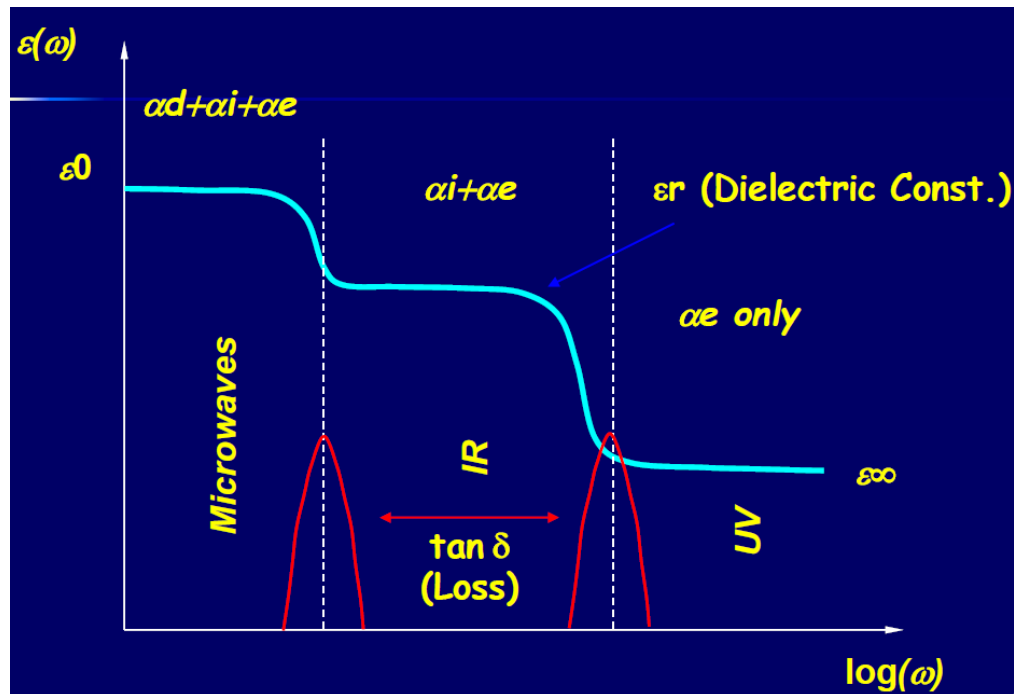
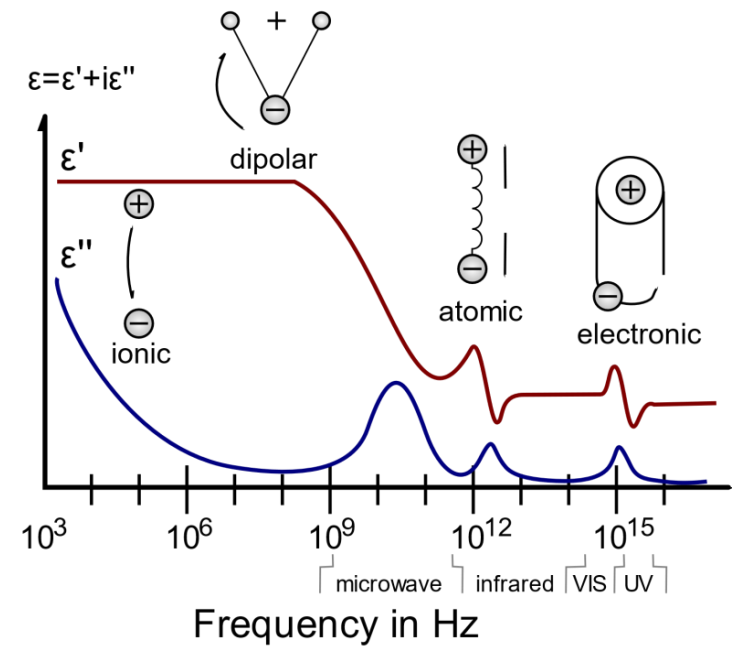
Debye relaxation

Intrinsic, Permanent dipole moment

$$\varepsilon^*(\omega) = \varepsilon'(\omega) - i\varepsilon''(\omega) = \varepsilon_\infty + \frac{\varepsilon_s - \varepsilon_\infty}{1 + (i\omega\tau)^\alpha}$$

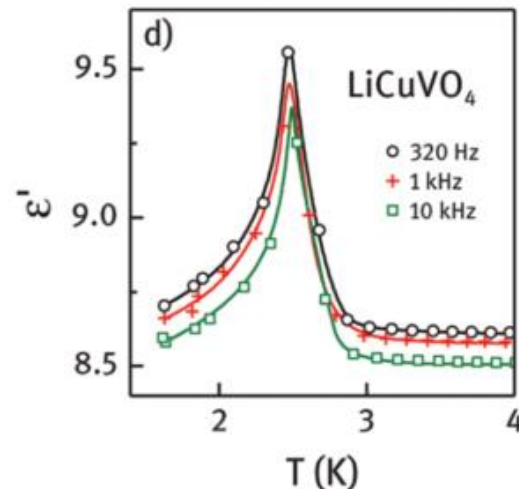
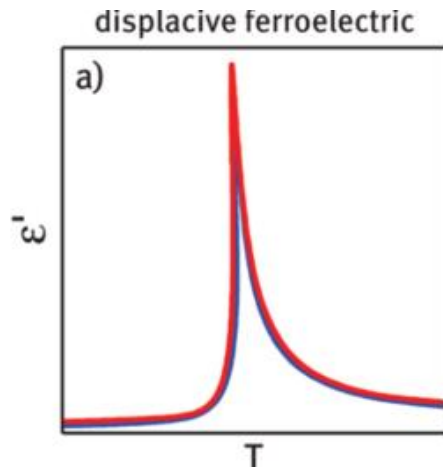
where ε_∞ is the permittivity at the high frequency limit, $\Delta\varepsilon = \varepsilon_s - \varepsilon_\infty$ where ε_s is the static, low frequency permittivity, and τ is the characteristic relaxation time of the medium. α is a constant with values between 0 and 1.

For an ideal Debye relaxation $\alpha=1$. $\alpha<1$ implies that the relaxation has a distribution of relaxation times.



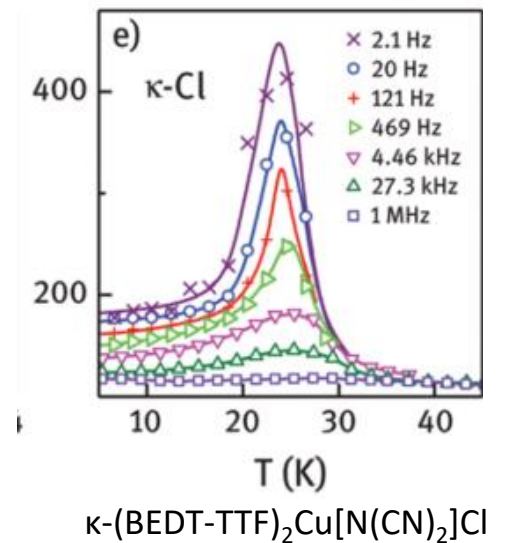
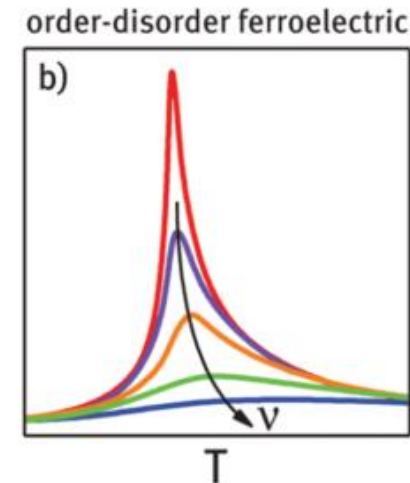
Signatures of ferroelectricity in dielectric spectroscopy

- ❑ For **displacive ferroelectric**, at ferroelectric transition, a **high-symmetry structure without permanent dipole moments transfers into a lower symmetry structure with polar order**.
- ❑ Usually **no significant frequency dependence of ϵ'** is observed for this class of ferroelectrics, typically covering frequencies in the Hz–MHz range.



Improper ferroelectric, where the polar order is driven by complex magnetic ordering via the inverse Dzyaloshinskii–Moriya interaction

- ❑ For **order–disorder ferroelectrics**, **permanent dipole moments already exist above T_{FE}** , in the paraelectric state these dipoles are statistically disordered with respect to site and time, but at the ferroelectric transition they align, and polar order arises.



Signatures of ferroelectricity in dielectric spectroscopy

The **relaxor-ferroelectrics**, which roughly can be regarded as ferroelectrics with a **smeared-out phase transition**.

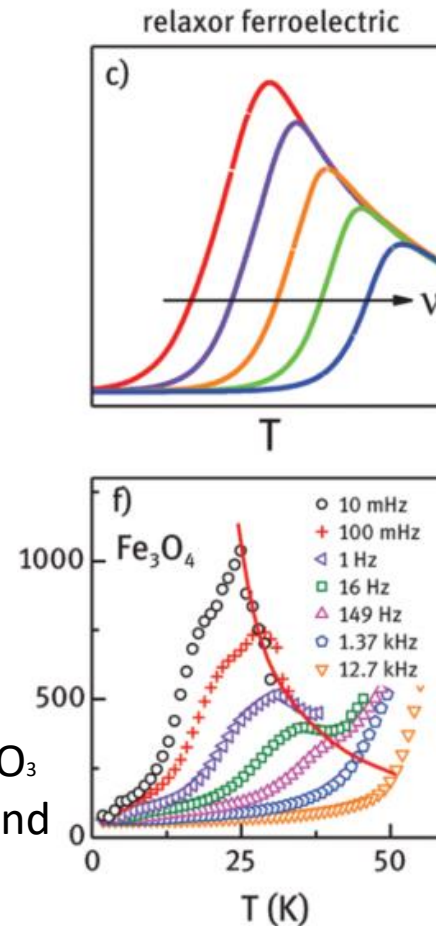
Vogel–Fulcher–Tammann (VFT) law

$$\tau = \tau_0 \exp \left[\frac{B}{T - T_{VF}} \right]$$

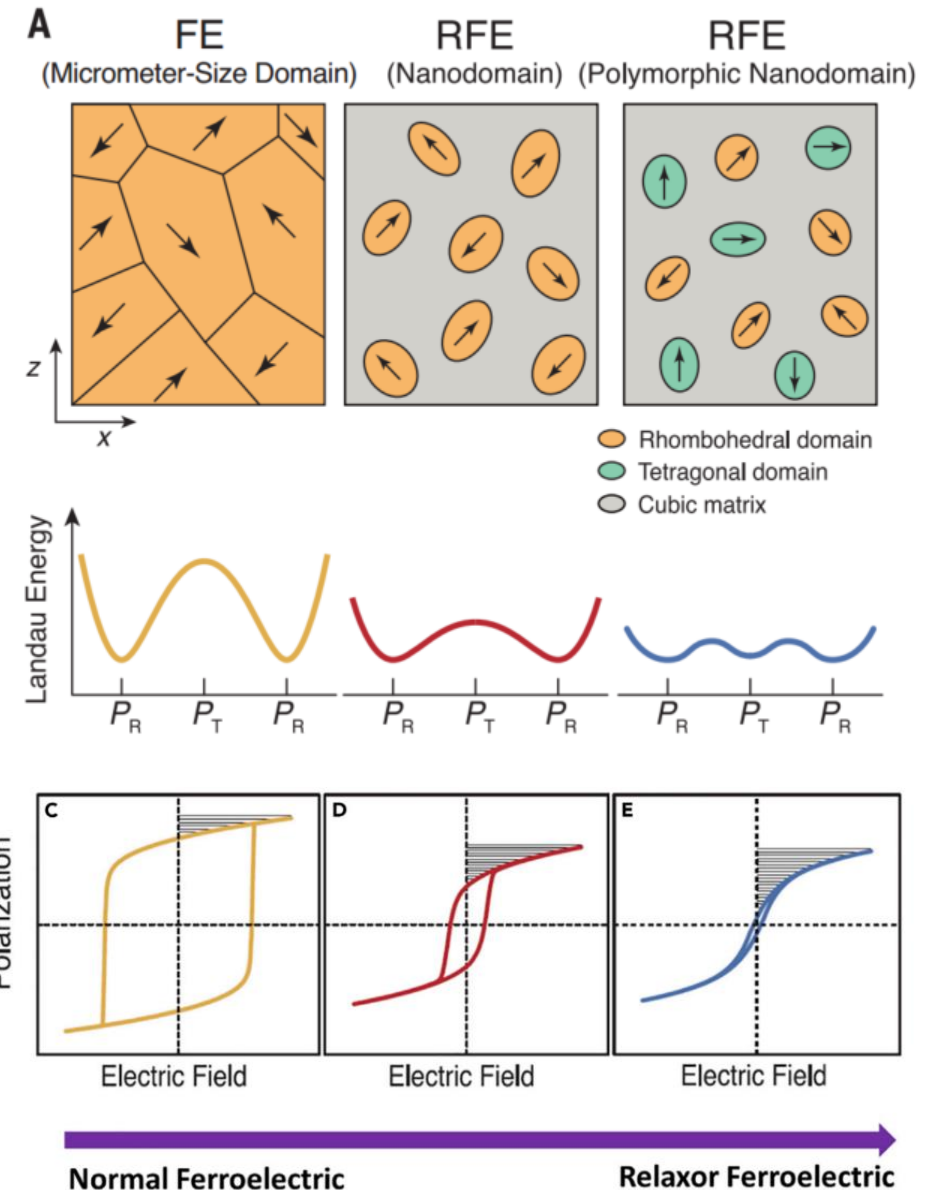
T_{VFT} is the divergence temperature of τ , where the dipolar dynamics finally becomes frozen, and B is an empirical constant.

Typical example of canonical RF is the $\text{Pb}(\text{Mg}_{1/3}\text{Nb}_{2/3})\text{O}_3$ (PMN) systems where the non-isovalent ions Mg^{2+} and Nb^{5+} are fully or partially disordered on the B-site.

The VFT behavior in RF is interpreted as a consequence of the formation, growing and cooperative reaction between the polar nanoregions (PNRs).

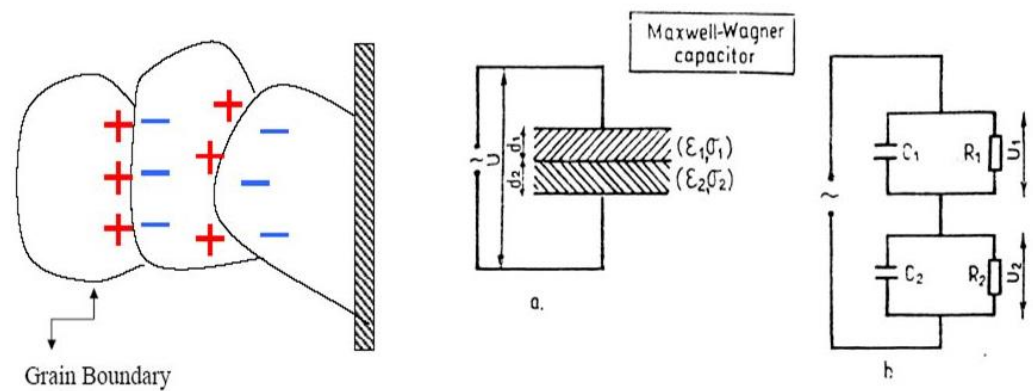


Disorder helps promoting relaxor-ferroelectric states.



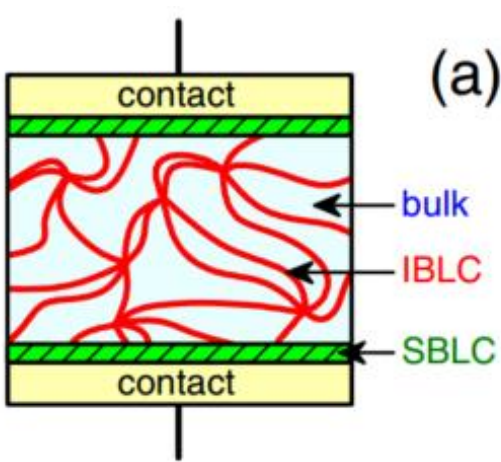
Maxwell-Wagner relaxation-Extrinsic effects often occurs in the heterogeneous systems in which the component dielectrics have different conductivities

For example, grain boundaries and/or the electrodes applied to the sample can produce the effect.



Thinner capacitor with larger capacitance

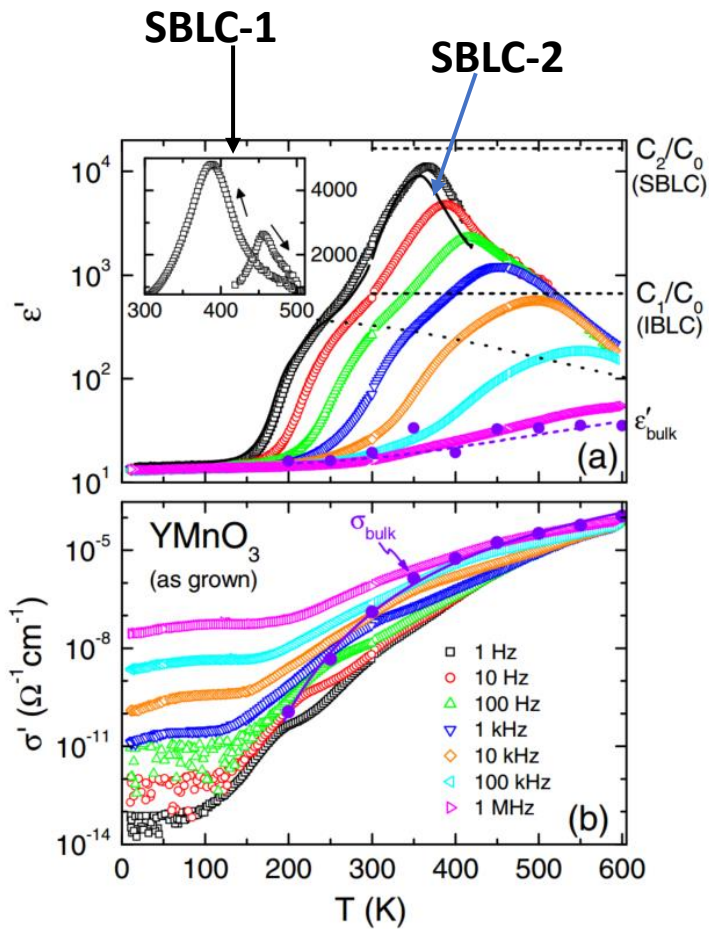
This can lead to so-called MW relaxations, non-intrinsic effects that should not be confused with the intrinsic relaxational response found in order-disorder or relaxor-ferroelectrics.



YMnO_3 (as grown)

$$\epsilon'_{\text{bulk}} \approx 20$$

PRL 118, 036803 (2017)



Surface-barrier layer capacitor (SBLC): non-intrinsic and irreproducible

- 1.A change of the oxygen stoichiometry (300 K - 600 K) at the sample surface seems a reasonable explanation for this phenomenon.
2. Schottky diodes forming when metallic electrodes are applied to semiconducting samples (change the top electrodes)

Internal barrier layer capacitors (IBLCs) : Reproducible Grain boundaries with low conductivity.

A simple example

The total admittance (complex conductance) of a single RC circuit is $Y = G + iC$

$$Y_{tot} = G'_{tot} + iG''_{tot} = \frac{Y_l Y_b}{Y_l + Y_b} = \frac{(G_l + i\omega C_l)(G_b + i\omega C_b)}{G_l + G_b + i\omega(C_l + C_b)}$$

$$C'_{tot} = \frac{(G_l^2 C_b + G_b^2 C_l) + \omega^2 C_l C_b (C_l + C_b)}{(G_l + G_b)^2 + \omega^2 (C_l + C_b)^2}$$

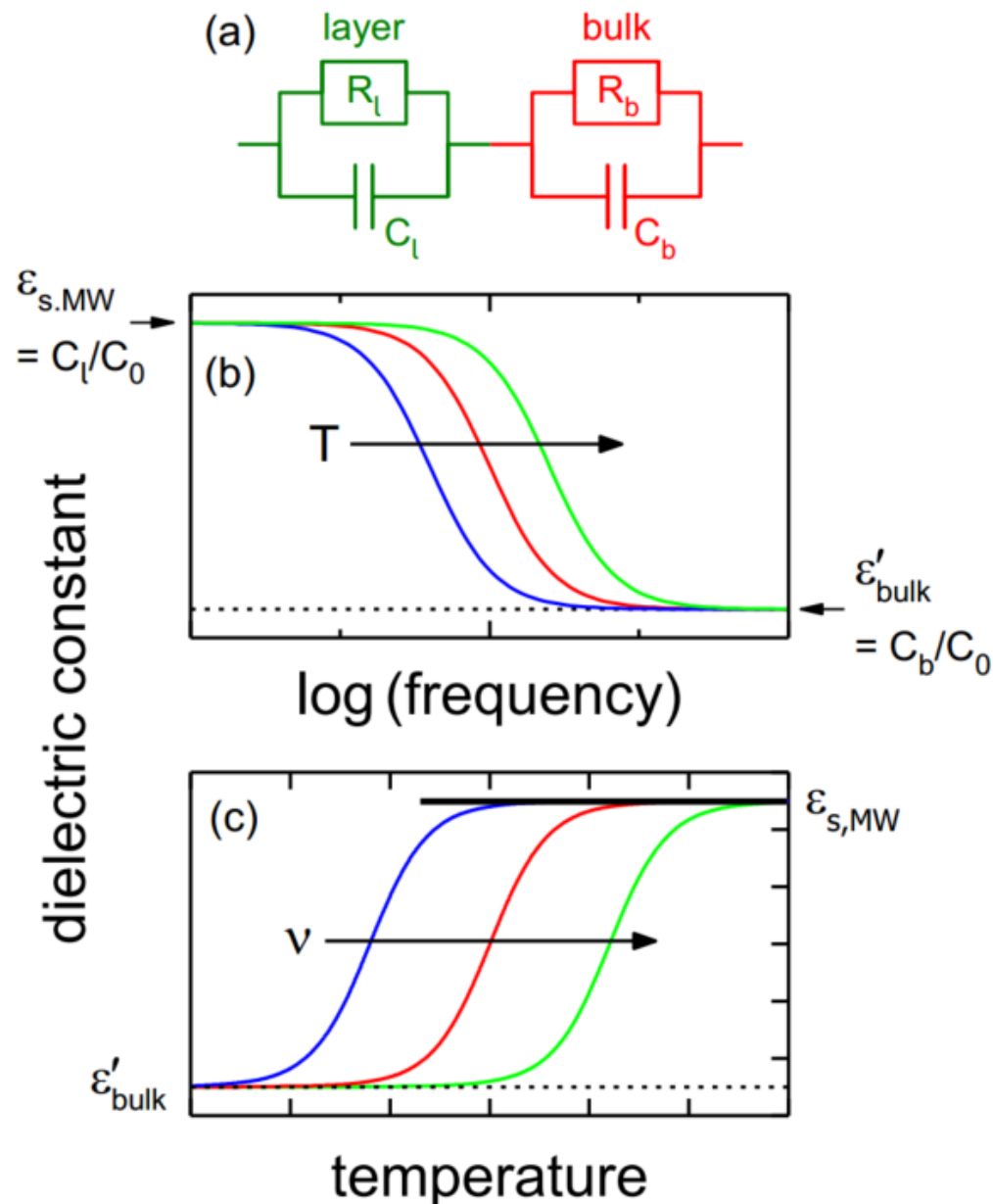
$$\nu \rightarrow 0, \quad C_{s,MW} = \frac{G_l^2 C_b + G_b^2 C_l}{(G_l + G_b)^2}$$

$$G_l \ll G_b \text{ and } C_l \gg C_b$$

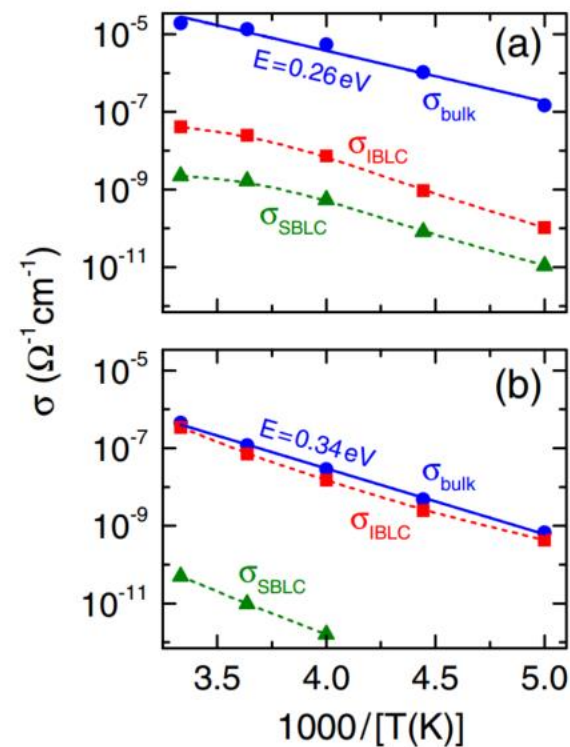
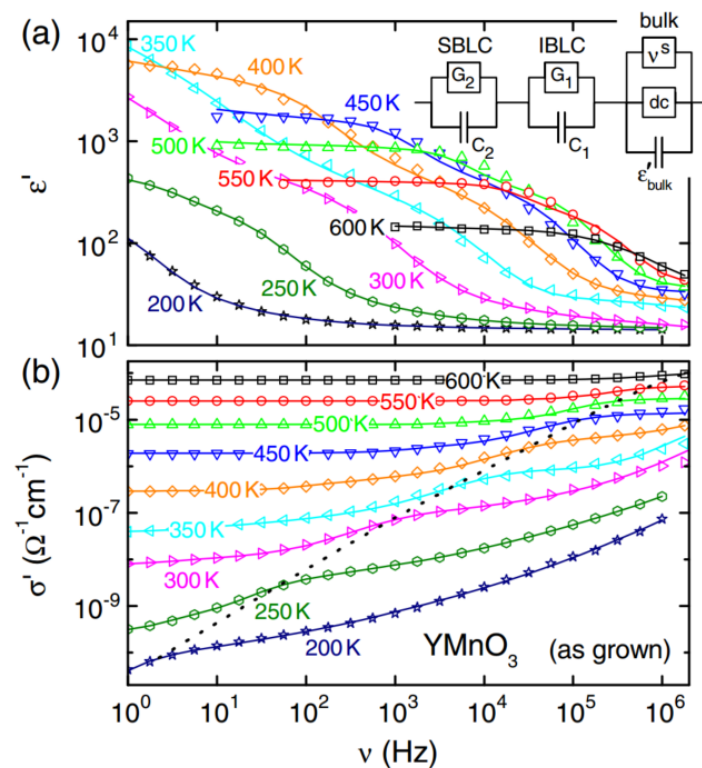
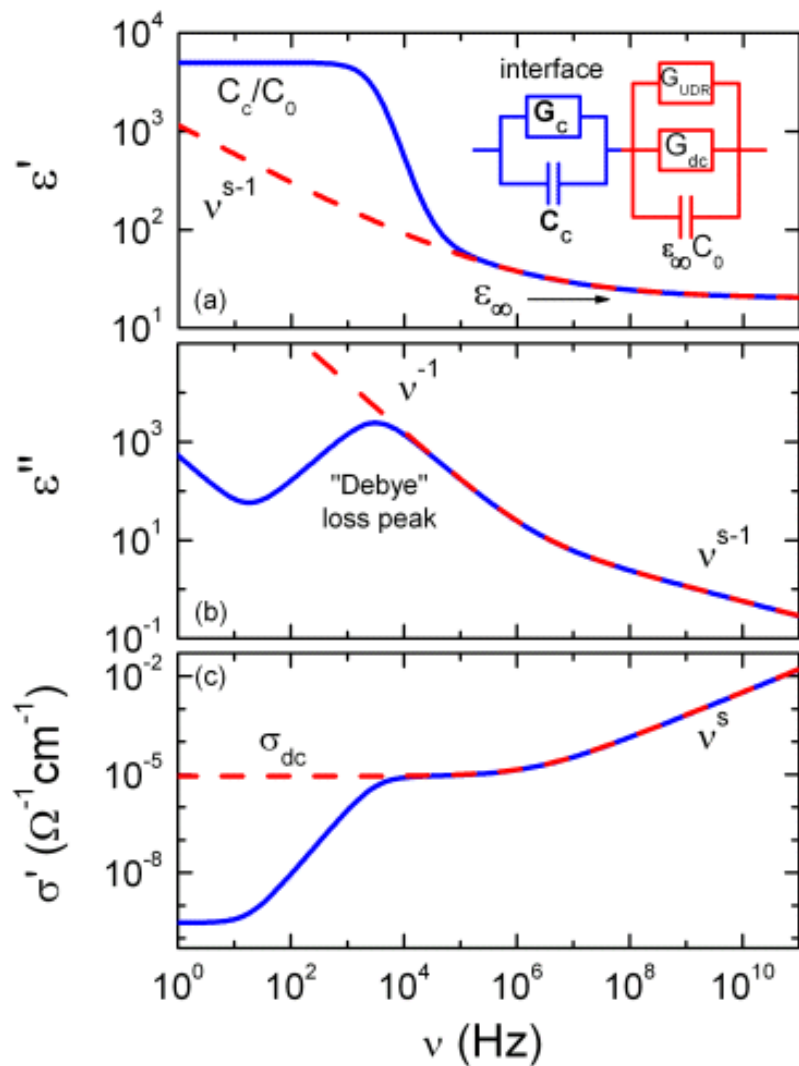
$$C_{s,MW} = C_l \text{ and } \epsilon_{s,MW} = C_l/C_0$$

For this scenario, obviously the **layer properties** completely dominate the detected dielectric response at low frequencies or high temperatures

In contrast, at high frequencies or low temperatures, the response is dominated by the **bulk properties** because, with increasing frequency (or decreasing temperature)



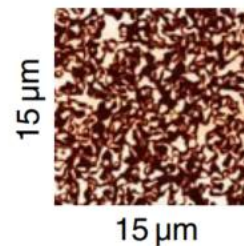
More complex case



sample 1a

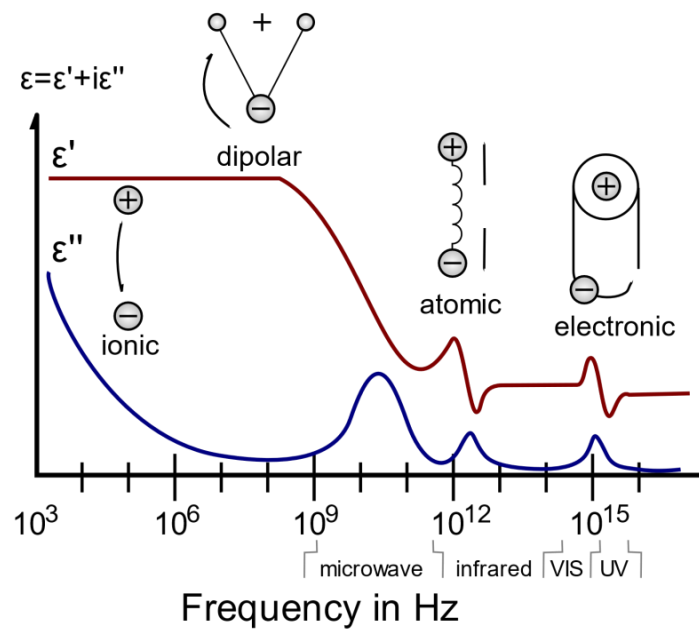


sample 2

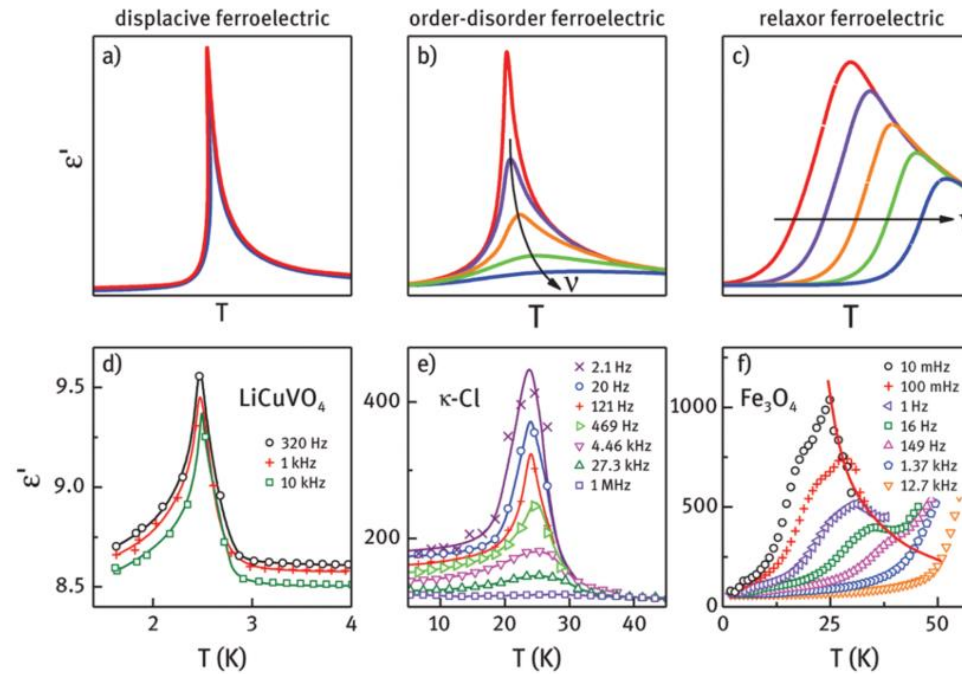


Summary

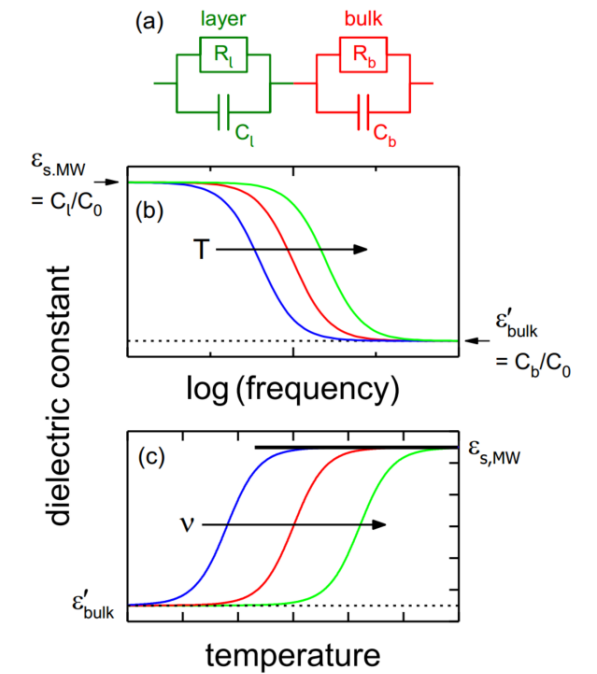
Dielectric relaxation



Debye relaxation



Phase transition



Maxwell-Wagner relaxation