Time dependent P reversal

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Yoshihiro ISHIBASHI, J. Phys. Soc. Japan, 1990, **59**, 4148-4154

P reversal=Nucleation + Domain growth

Infinite FE film sandwiched by two electrodes with switching field applied.



Calculation of switched area C(t)

- Since switched area may be overlapped, C(t)=1-q(t), q(t) is unswitched area.
- $q(t) = \prod_{i=0}^{k} (1 J(i\Delta\tau)S(k\Delta\tau, i\Delta\tau)\Delta\tau), J(i\Delta\tau)$ means number of nucleis at $i\Delta\tau$ per area, $S(t,\tau) = \pi(v(t-\tau))^2$ is the switched area. For more dimensions, $S(t,\tau) = C_d(v(t-\tau))^d$.

•
$$lnq(t) = -\int_0^t J(\tau)S(t,\tau)d\tau$$
,

when J(t)=R (thermal activated nuclei),

$$C(t) = 1 - \exp\left(-\left(\frac{t}{t_I}\right)^{d+1}\right), \left(\frac{1}{t_I}\right)^{d+1} = R\frac{C_d v^d}{d+1}$$

when J(t)=N $\delta(t)$ (latent nuclei),

$$C(t) = 1 - \exp\left(-\left(\frac{t}{t_{II}}\right)^{d}\right), \left(\frac{1}{t_{II}}\right)^{d} = C_{d}Nv^{d}$$

 $P(t) = 2P_s c(t)$



Calculation of p in domain wall

• One dimensional p^4 system model for domain wall $f = \frac{1}{4}(1-p^2)^2 + \frac{k}{2}(\frac{dp}{dx})^2, k > 0,$ k represents interaction with neighbors. Euler-Lagarange equ. $\frac{df}{dp} = \frac{d}{dx} \frac{\partial f}{\partial \frac{dp}{dx}}$ (a) (b) $k\frac{d^2p}{dx^2} + p - p^3 = 0$ Boundary condition, $p = \pm 1, \frac{dp}{dx} = 0$ @ $x = \pm \infty$ - Xo Xo $p = tanh \frac{x}{\sqrt{2k}}$ 3. A domain wall in the continuum. (a) $x_0 > 2d$, (b) $x_0 < 2d$.

Domain wall width $d = \sqrt{2k}$

Calculation of v for domain wall move

- Equate the rate of the energy lost by viscosity and the electric energy supplied by external field. –pe is added to f(x). Total energy $F = \int f(x) dx$
- y dimension Time evolution $\tau_x = \gamma \frac{\partial u_x}{\partial y}$ boundary plate $\gamma \frac{dp}{dt} = -\frac{\delta F}{\delta p}$? (2D, moving) velocity, *u* shear stress, τ For a moving domain wall, $p(x,t) = tanh\frac{x - vt}{\sqrt{2k}}$ gradient, $\frac{\partial u}{\partial y}$ fluid • Solving the equation, $v = \frac{3\sqrt{2k}}{2}e = \frac{3d}{2}e$ boundary plate (2D, stationary)

Switching time vs applied field



Fig. 7. The applied field (e) dependences of the switching time t_s , for two cases with different distribution of nuclei ($m_+=m_-=5$ in both cases). t is measured with the unit of $\Delta t=0.02$.